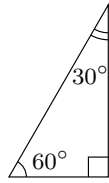
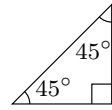
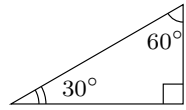


氏名 _____

(復習) 次の直角三角形を用いて、 30° 、 45° 、 60° 、 120° 、 135° 、 150° の \sin 、 \cos 、 \tan の値を求めなさい。

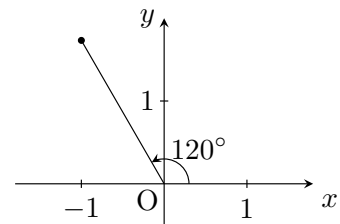


$$\begin{aligned} \sin 30^\circ &= \square \\ \cos 30^\circ &= \square \\ \tan 30^\circ &= \square \end{aligned}$$

$$\begin{aligned} \sin 45^\circ &= \square \\ \cos 45^\circ &= \square \\ \tan 45^\circ &= \square \end{aligned}$$

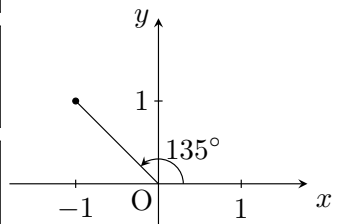
$$\begin{aligned} \sin 60^\circ &= \square \\ \cos 60^\circ &= \square \\ \tan 60^\circ &= \square \end{aligned}$$

■ 120° の三角比



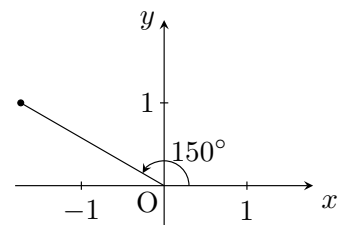
$$\begin{aligned} \sin 120^\circ &= \square \\ \cos 120^\circ &= \square \\ \tan 120^\circ &= \square \end{aligned}$$

■ 135° の三角比



$$\begin{aligned} \sin 135^\circ &= \square \\ \cos 135^\circ &= \square \\ \tan 135^\circ &= \square \end{aligned}$$

■ 150° の三角比



$$\begin{aligned} \sin 150^\circ &= \square \\ \cos 150^\circ &= \square \\ \tan 150^\circ &= \square \end{aligned}$$

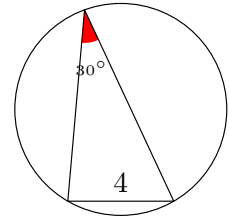
■ 正弦定理 (正弦とは \sin のことです)

正弦定理を使うと、外接円の半径 R を求めることができる。

$$\frac{\text{角度の向かい側にある辺の長さ}}{\sin \text{角度}} = 2R$$

例題
解

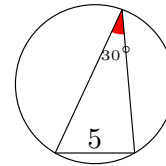
右の三角形で、 $\triangle ABC$ の外接円の半径 R を求めよ。



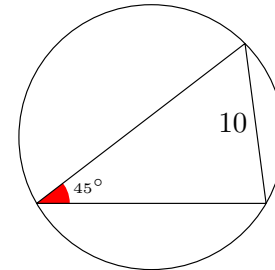
$$\begin{aligned} \frac{4}{\sin 30^\circ} &= 2R \\ \frac{1}{2} \times \frac{4^2}{\sin 30^\circ} &= 2R \times \frac{1}{2} \\ \frac{2}{\sin 30^\circ} &= R \\ 2 \div \sin 30^\circ &= R \\ 2 \div \frac{1}{2} &= R \\ 2 \times \frac{2}{1} &= R \\ \text{答 } 4 &= R \end{aligned}$$

1 次の三角形の外接円の半径 R を求めなさい。

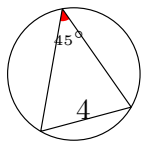
(1)



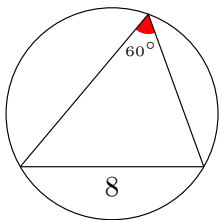
(2)



(3)

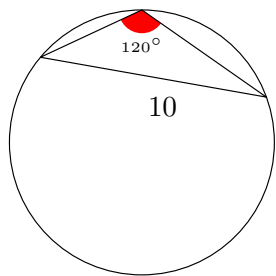


(4)

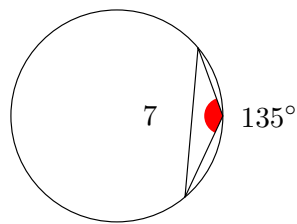


2 次の三角形の外接円の半径 R を求めなさい。

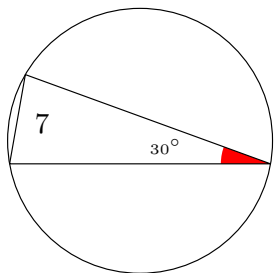
(1)



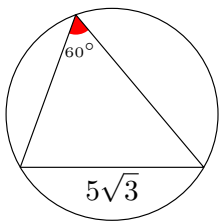
(2)



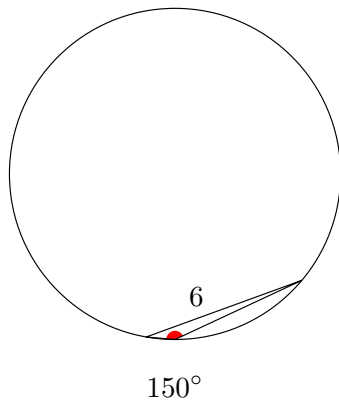
(5)



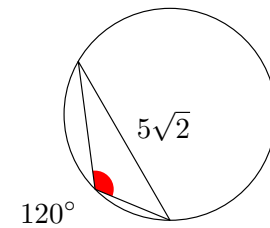
(6)



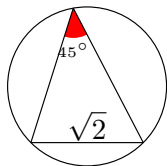
(3)



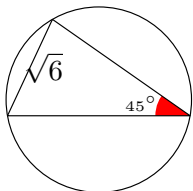
(4)



(7)



(8)



#55 (その3) 改 $\sin 30^\circ = \frac{1}{2}, \sin 45^\circ = \frac{1}{\sqrt{2}}, \sin 60^\circ = \frac{\sqrt{3}}{2}, \frac{\sqrt{3}}{2}, \frac{1}{2}, \frac{1}{\sqrt{3}}, 1, \sqrt{3}, \sin 120^\circ = \frac{\sqrt{3}}{2}, \cos 120^\circ = -\frac{1}{2}, \tan 120^\circ = -\sqrt{3}, \frac{\sqrt{2}}{2}, -\frac{\sqrt{2}}{2}, -1, \frac{1}{\sqrt{3}}, -\frac{\sqrt{3}}{2}, -\frac{1}{2}, -\frac{\sqrt{3}}{2}, -1$ [I] (1) 5 (2) $5\sqrt{2}$