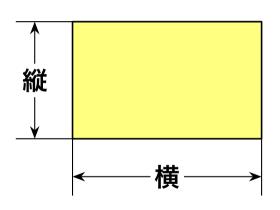
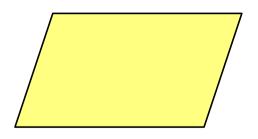
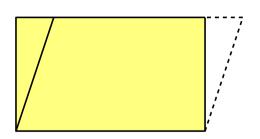
四角形の面積



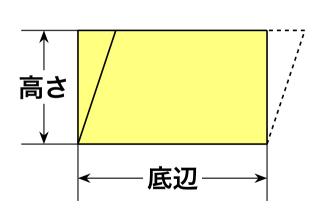
四角形の面積 = 縦 × 横



平行四辺形の面積

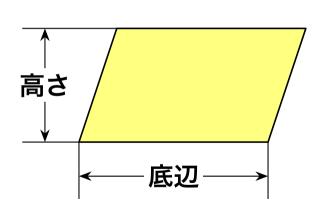


平行四辺形の面積



平行四辺形の面積

= 底辺×高さ



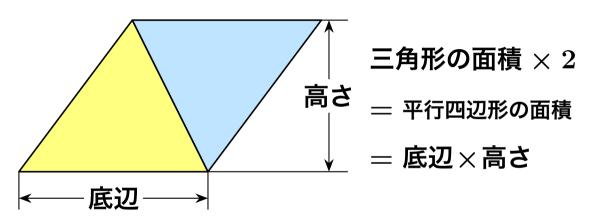
平行四辺形の面積

= 底辺×高さ

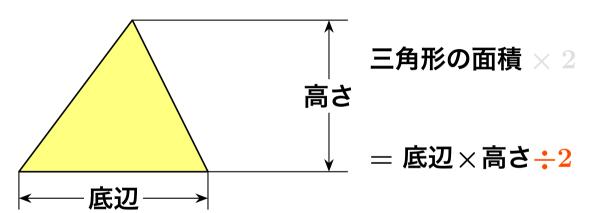
三角形の面積

三角形の面積 × 2

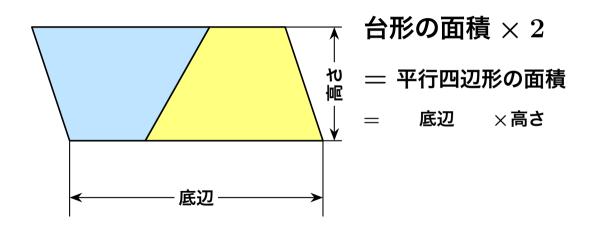
三角形の面積

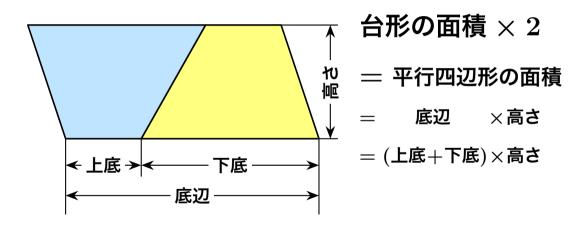


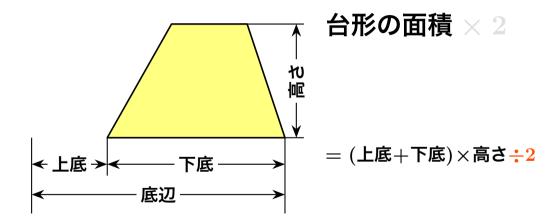
三角形の面積



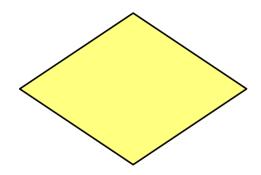
台形の面積×2



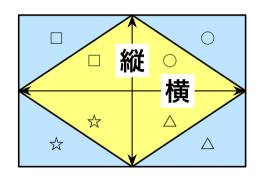




ひし形の面積



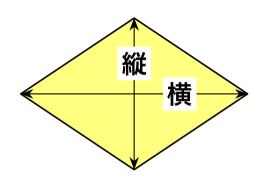
ひし形の面積



ひし形の面積×2

= 縦×横

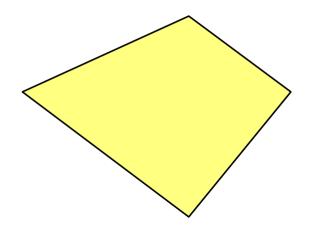
ひし形の面積



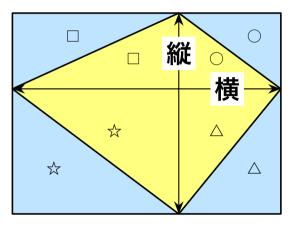
ひし形の面積 × 2

= $縱 \times$ 横 \div 2

ひし形でなくても、対角線が直角なら



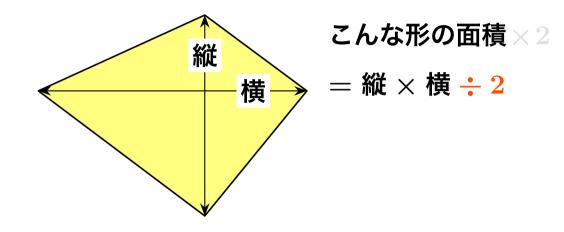
ひし形でなくても、対角線が直角なら



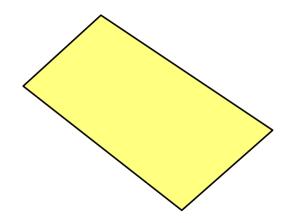
こんな形の面積×2

= 縦×横

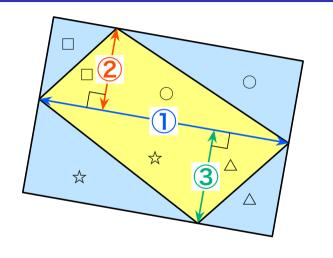
ひし形でなくても、対角線が直角なら



では、この形の面積



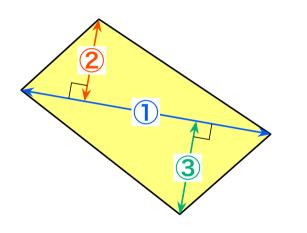
では、この形の面積



この形の面積×2

$$= 1 \times (2 + 3)$$

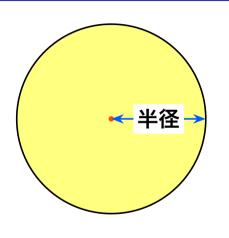
では、この形の面積



この形の面積×2

$$= 1 \times (2 + 3) \div 2$$

円の面積



円の面積

$$= oldsymbol{\pi} imes$$
半径 2

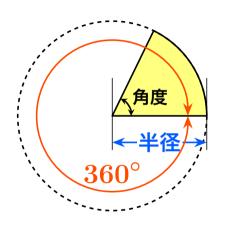
(π は円周率)

扇形の面積



扇形の面積

扇形の面積



扇形の面積

$$=$$
 円の面積 $\times \frac{角度^{\circ}}{360^{\circ}}$

$$= \pi \times 半径^2 \times \frac{角度^\circ}{360^\circ}$$

扇形の面積(弧の長さを使って)



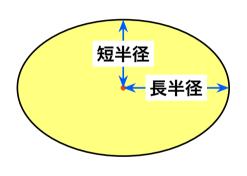
扇形の面積

扇形の面積(弧の長さを使って)

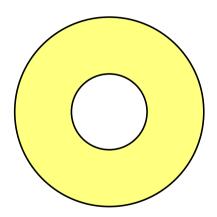


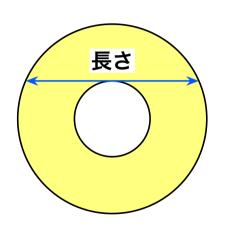
弧の長さ

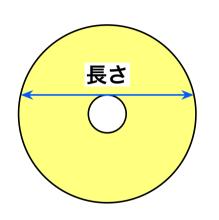
楕円の面積

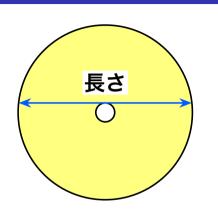


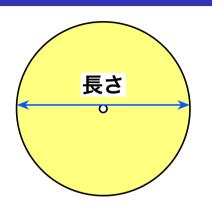
楕円の面積

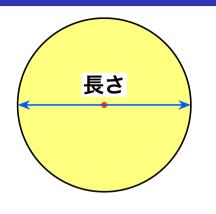




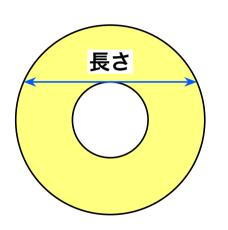








半径
$$=$$
 $\frac{\mathbb{E}^{\mathsf{c}}}{2}$ の円の面積
と同じとなって



$$=oldsymbol{\pi} imes\left(rac{$$
長さ}{2}
ight)^2